

Numerical modelling of flood control areas with controlled reduced tide

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Outline

General framework

Numerical modelling

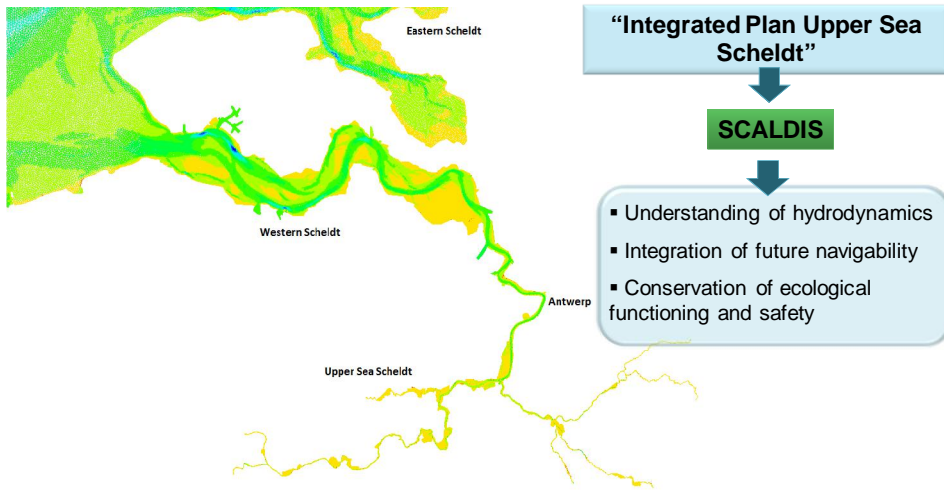

- TELEMAC 3D model
- Culvert functionality implementation

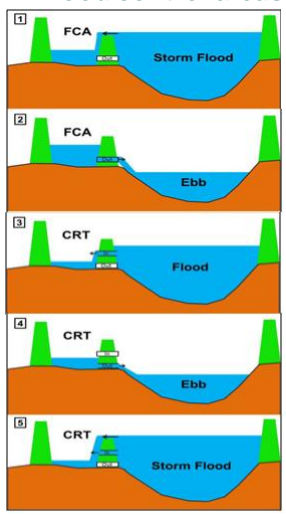

Study case



- Bergenmeersen flood control area


Concluding remarks




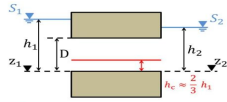
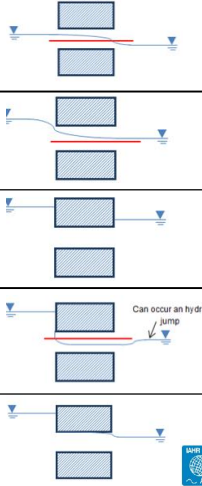

| General Framework 1/3 | Numerical modelling | Study case | Concluding Remarks |
|--|---------------------|------------|--------------------|
| <p>Motivation</p>  <p>“Integrated Plan Upper Sea Scheldt”</p> <p>SCALDIS</p> <ul style="list-style-type: none"> ▪ Understanding of hydrodynamics ▪ Integration of future navigability ▪ Conservation of ecological functioning and safety  | | | |

| General Framework 2/3 | Numerical modelling | Study case | Concluding Remarks |
|---|---------------------|------------|--------------------|
| <p>Flood control areas (FCA) with Controlled Reduced Tide (CRT) function</p>  <ul style="list-style-type: none"> ▪ $h_{river} > h_{FCA}$ ⇒ Water flows over the dyke ▪ $h_{river} < h_{FCA}$ ⇒ Water flows through the outlet <p>With CRT function:</p> <ul style="list-style-type: none"> ▪ $h_{river} > h_{FCA}$ and $h_{river} < h_{dyke_crest}$ ⇒ Water flows through the inlet ▪ $h_{river} < h_{FCA}$ ⇒ Water flows through the outlet ▪ $h_{river} > h_{FCA}$ and $h_{river} > h_{dyke_crest}$ ⇒ Water flows through the inlet and over the dyke  | | | |

| General Framework 3/3 | Numerical modelling | Study case | Concluding Remarks |
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| <p data-bbox="346 409 1248 443">Flood control areas (FCA) with Controlled Reduced Tide (CRT) function</p> <div data-bbox="346 461 914 770">  </div> <ul data-bbox="929 461 1248 607" style="list-style-type: none"> - In 2013, 13 areas were already activated - In 2040 more than 40 areas will be activated <p data-bbox="346 797 487 831">Main target</p> <ul data-bbox="330 857 903 965" style="list-style-type: none"> ▪ Implementation of a culvert functionality <ul style="list-style-type: none"> • Model water flow through culverts; • Verify and validate model results during storm surge event <div data-bbox="1110 943 1248 1003" style="text-align: right;">  </div> | | | |




| General Framework | Numerical modelling 1/5 | Study case | Concluding Remarks |
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| <p data-bbox="341 1344 718 1377">TELEMAC-3D (Hervouet, 2007)</p> <ul data-bbox="388 1429 824 1637" style="list-style-type: none"> ▪ Circulation hydrodynamic model ▪ 3D RANS equations with a free surface ▪ With or without hydrostatic hypothesis ▪ Finite elements method ▪ Open source (since July 2011) <div data-bbox="1110 1877 1248 1937" style="text-align: right;">  </div> | | | |

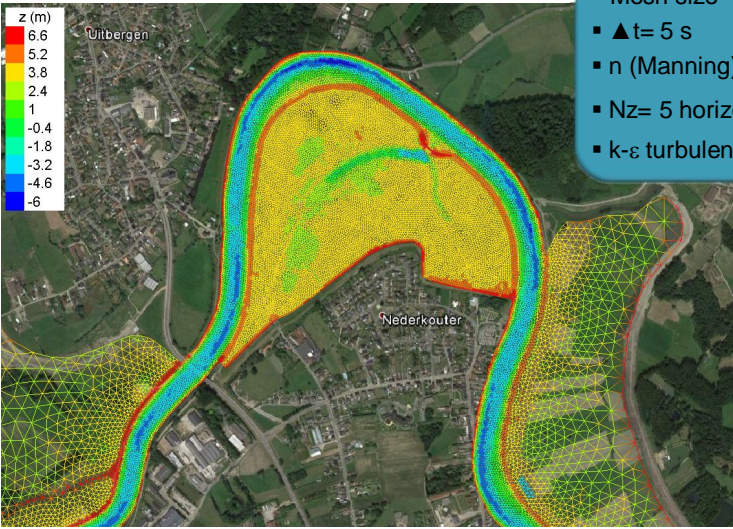

| General Framework | Numerical modelling 2/5 | Study case | Concluding Remarks |
|---|----------------------------|------------|--------------------|
| <p>Culvert functionality implementation – TELEMAC-3D (version v6p3)</p> $\frac{\partial U}{\partial x} + \frac{\partial V}{\partial y} + \frac{\partial W}{\partial z} = 0$ $\frac{\partial U}{\partial t} + U \frac{\partial U}{\partial x} + V \frac{\partial U}{\partial y} + W \frac{\partial U}{\partial z} = -g \frac{\partial \eta}{\partial x} + v \Delta(U) + F_x$ $\frac{\partial V}{\partial t} + U \frac{\partial V}{\partial x} + V \frac{\partial V}{\partial y} + W \frac{\partial V}{\partial z} = -g \frac{\partial \eta}{\partial y} + v \Delta(V) + F_y$ $\frac{\partial h}{\partial t} + \frac{\partial(uh)}{\partial x} + \frac{\partial(vh)}{\partial y} = 0 + \text{Source/ Sink term}$ $\frac{\partial T}{\partial t} + U \frac{\partial T}{\partial x} + V \frac{\partial T}{\partial y} + W \frac{\partial T}{\partial z} = v_t \Delta(T) + Q'$ <div style="display: flex; justify-content: space-between; align-items: center;"> <div style="width: 45%;"> <p>- If water flows from the river to the floodplain:</p> $Q_{\text{floodplain}} = - Q_{\text{river}}$ <p style="text-align: center;"> ↓ Source ↓ Sink </p> <p>- If water flows from the floodplain to the river:</p> $Q_{\text{river}} = - Q_{\text{floodplain}}$ <p style="text-align: center;"> ↓ Source ↓ Sink </p> </div> <div style="width: 45%; text-align: right;">  </div> </div> | | | |

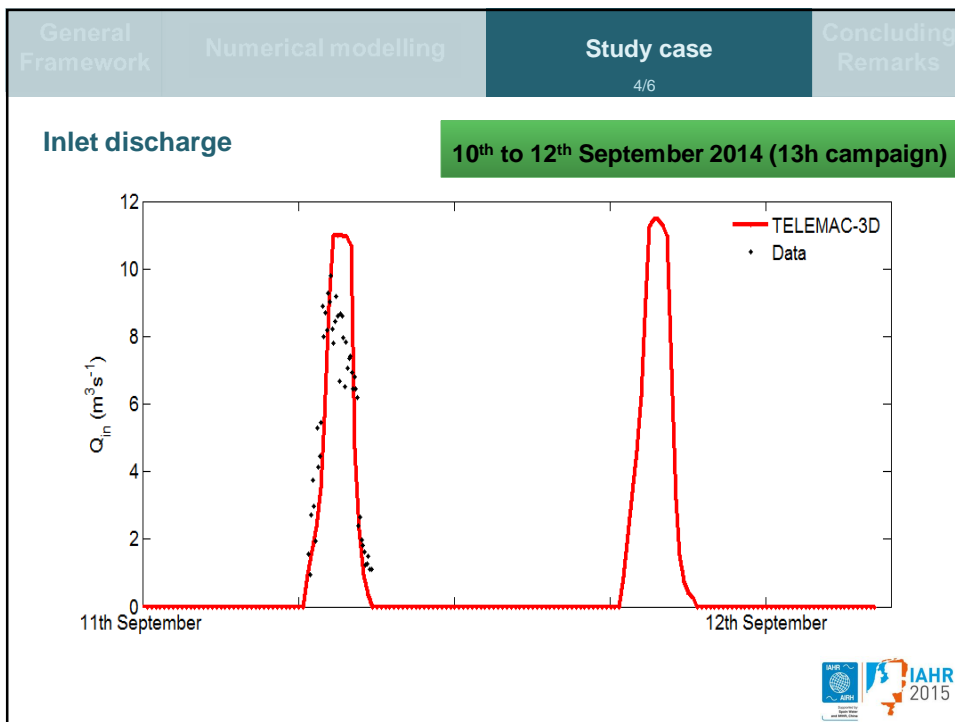
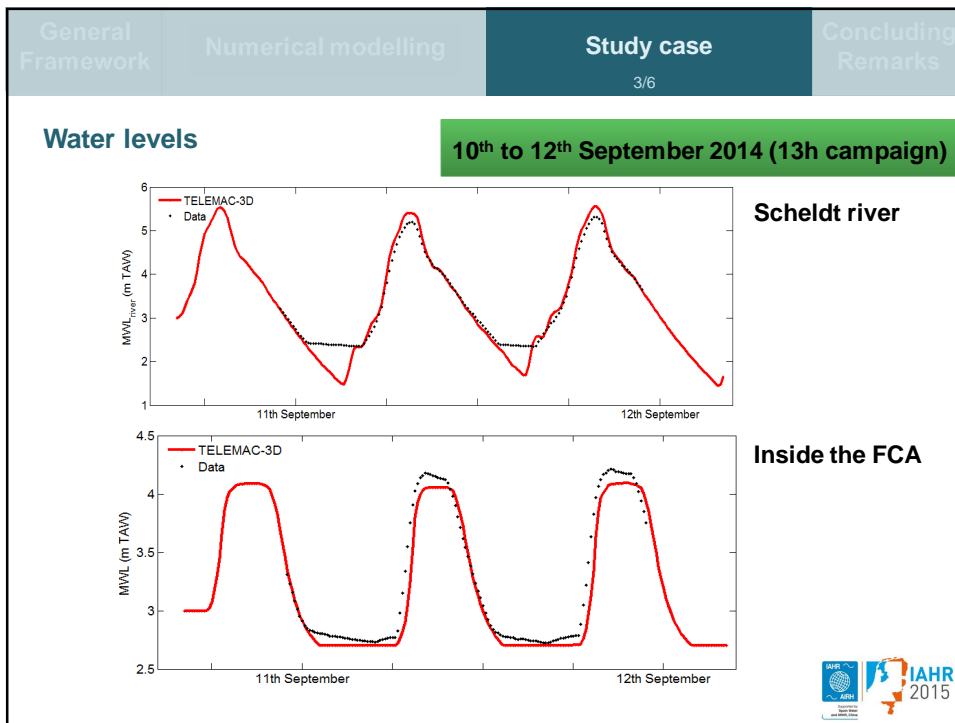
| General Framework | Numerical modelling 3/5 | Study case | Concluding Remarks |
|--|----------------------------|------------|--------------------|
| <p>Culvert functionality – theoretical framework</p> <div style="text-align: right;">  </div> <p>Bodhaine (1968) :</p> <div style="display: flex; justify-content: space-between;"> <div style="width: 40%;"> <p>Type 2 – Critical depth at outlet: $Q = \mu h_c W \sqrt{2g * (S_1 - (z_2 + h_c))}$</p> <hr/> <p>Type 3 – Tranquil flow: $Q = \mu (S_2 - z_2) W \sqrt{2g(S_1 - S_2)}$</p> <hr/> <p>Type 4 – Submerged outlet: $Q = \mu D W \sqrt{2g(S_1 - S_2)}$</p> <hr/> <p>Type 5 – Rapid flow at inlet: $Q = \mu D W \sqrt{2g h_1}$</p> <hr/> <p>Type 6 – Full flow with free outfall: $Q = \mu D W \sqrt{2g(S_1 - (z_2 + D))}$</p> </div> <div style="width: 55%;">  <p style="text-align: right; font-size: small;">Can occur an hydraulic jump</p> </div> </div> <div style="text-align: right;">  </div> | | | |

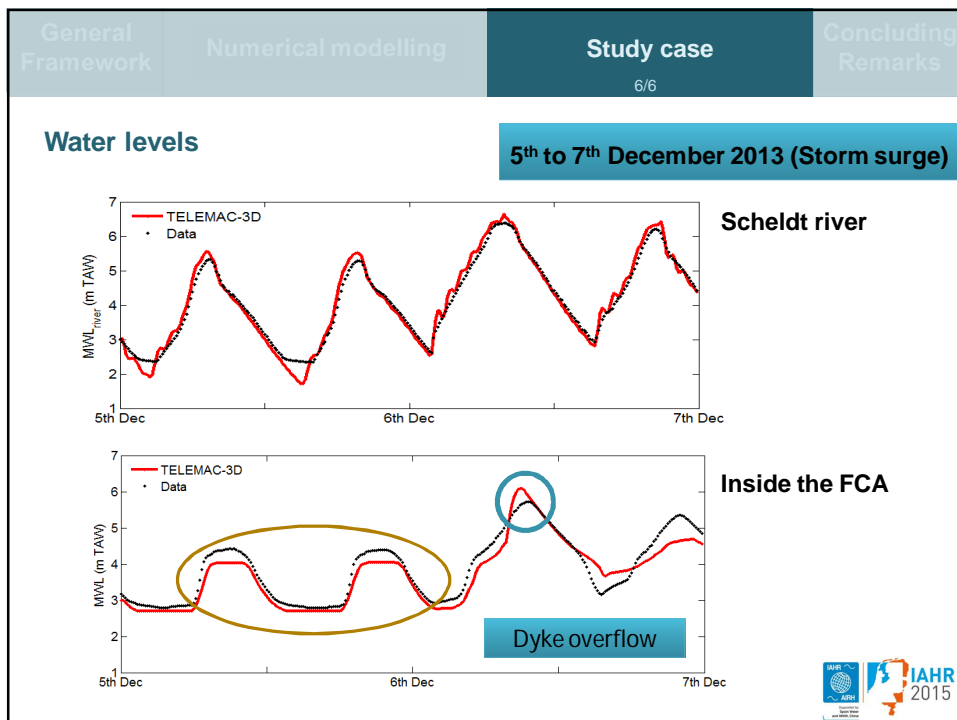
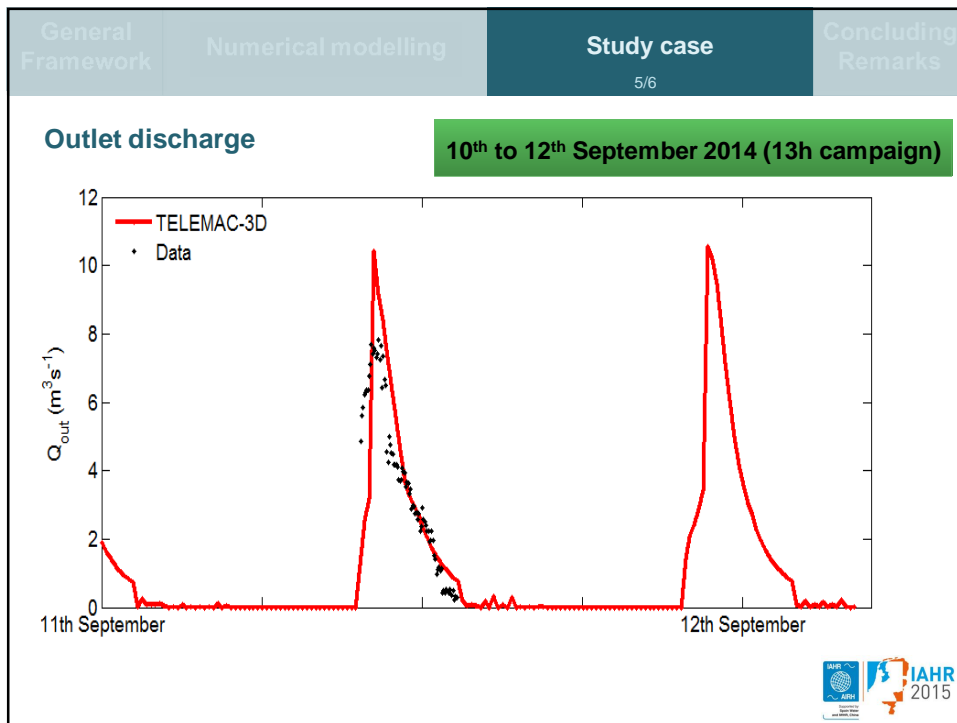
| General Framework | Numerical modelling | Study case | Concluding Remarks |
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| | 4/5 | | |
| <p>Culvert functionality – theoretical framework</p> <p>Bodhaine (1968) :</p> <div style="display: flex; align-items: center;"> <div style="flex: 1;"> </div> <div style="flex: 1;"> </div> </div> | | | |
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| General Framework | Numerical modelling | Study case | Concluding Remarks |
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| | 5/5 | | |
| <p>Culvert functionality – theoretical framework</p> <p> $\Delta H = C \frac{U^2}{2g}$ $C = C_1 + C_2 + C_3 + C_v + C_T + C_p$ </p> <p>Head losses due:</p> <ul style="list-style-type: none"> - entrance, contraction of the flow (C_1) - friction (C_2) - outlet, expansion of the flow (C_3) - valve (C_v) - trash screens (C_T) - entrance pilars (C_p) | | | |
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| General Framework | Numerical modelling | Study case 1/6 | Concluding Remarks |
|--|---------------------|-------------------|---|
| Bergenmeersen area | | SCALDIS |  |
|  | | | |
| Two periods: - 10 th to 12 th September 2014 (13h campaign) | | | |
| - 5 th to 7 th December 2013 (Storm surge) | | | |
|  | | | |

| General Framework | Numerical modelling | Study case 2/6 | Concluding Remarks |
|---|---------------------|---|--------------------|
| Model setup | | <ul style="list-style-type: none"> ▪ Mesh size \approx 5 - 20 m ▪ $\Delta t = 5$ s ▪ n (Manning) = 0.016 ▪ $N_z = 5$ horizontal plans ▪ $k-\epsilon$ turbulence model | |
|  | | | |
|  | | | |





| General Framework | Numerical modelling | Study case | Concluding Remarks 1/1 |
|--|---------------------|------------|---------------------------|
| <p data-bbox="341 412 603 445">Concluding remarks</p> <ul data-bbox="352 510 1223 757" style="list-style-type: none"><li data-bbox="352 510 885 544">▪ TELEMAC-3D is able to model flows through culverts;<li data-bbox="352 571 1223 627">▪ TELEMAC-3D can now take into account flood control areas with controlled reduced tide;<li data-bbox="352 640 906 674">▪ Model results were verified against data measurements;<li data-bbox="352 701 1210 757">▪ Numerical results agree fairly well with measurements when storm surges are modelled.  | | | |

