Scales of spatial variation in Mediterranean subtidal sessile assemblages at different depths

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ABSTRACT: Analyses of spatial patterns of distribution of populations and assemblages along environmental gradients are common in marine ecology. How these patterns vary at different spatial scales has seldom been examined, despite the fact that patterns in nature are intrinsically scaledependent. This study quantified variability in subtidal assemblages at a hierarchy of spatial scales along a depth gradient, using several univariate and multivariate techniques. Despite variation in the sizes of depth effects in time and space, there were large, significant and generally characterisable differences in the structure of assemblages at different depths. The sizes of multivariate and univariate components of variation at different spatial scales were compared at each of 3 different depths (5, 15 and 25 m), using a bias-corrected bootstrapping approach. The sizes of variance components at different spatial scales varied with depth and choice of transformation. In all cases, the largest component of variation was at the smallest scale (tens of centimeters). A pattern of decreasing residual variance with depth was seen for untransformed data, while a pattern of increasing residual variance with depth was seen for presence/absence data. In contrast, variation among locations (separated by >1 km) and among sites (separated by hundreds of metres) was largest at intermediate depths (~15 m), regardless of the transformation used. The multivariate procedures used here offer several advantages over previously used techniques, providing suitable quantitative methods for analysing, at multiple scales, the patchy and complex nature of rocky subtidal assemblages.

KEY WORDS: Depth gradient \cdot Hierarchical analyses \cdot Spatial scales \cdot Variance components \cdot Bootstrap \cdot Subtidal sessile assemblages

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INTRODUCTION

The notion of heterogeneity in nature is intrinsically dependent on the scale of measurement (e.g. Andrew & Mapstone 1987, Levin 1992, Underwood & Petraitis 1993). Variation in assemblage structure is consequently more evident at particular scales than at others (Wiens et al. 1993), bringing important ecological insights to basic and applied ecology (Underwood et al. 2000). First, as different processes are likely to operate differently in space and time, the identification of relevant scales of variation is a necessary prerequisite before explanatory models can be proposed and tested

(Andrew & Mapstone 1987). Second, investigating patterns at hierarchies of scales can help in determining the extent to which small-scale processes can be generalised (Underwood & Petraitis 1993, Lawton 1996) and whether local processes may be scaled up to generate patterns on wider scales (Wootton 2001). Third, especially in the case of highly variable systems, identifying the relevant scales of variation allows for more reliable predictions of anthropogenic impacts (Bishop et al. 2002) and provides information necessary for the determination of managerial conservation units and/or the design of marine protected areas (Benedetti-Cecchi et al. 2003, Botsford et al. 2003, Fraschetti et al. 2005a).

Traditionally, ecologists have examined spatial patterns of distribution of populations and assemblages along sharp gradients of environmental variables (Horne & Schneider 1995). For instance, the paradigm of marine benthic zonation (Stephenson & Stephenson 1949, Witman & Dayton 2001) has explained the vertical distribution of organisms in relation to the most obvious gradients of emersion and desiccation in intertidal (Southward 1958) as well as light and water movement in subtidal (Riedl 1971, Pérès 1982) habitats. Vertical zonation, however, cannot explain all of the variability in spatial patterns (Benedetti-Cecchi 2001). Other sources of variation require proper quantification before any conclusion about the vertical distribution of communities can be drawn (Underwood 2000). The focus on the most obvious physical spatial gradients can distract from other important sources of variation (e.g. horizontal variation within any particular level of the gradient, and temporal changes in patterns of distribution). One possible strategy is to carry out multi-scale analyses of variation. This approach encompasses a wider range of potential ecological processes than those that would be targeted by focusing on a single gradient.

The analysis of spatial patterns at hierarchies of spatial and temporal scales is also a logical means of avoiding spatial and temporal confounding (Hurlbert 1984). It also provides tests of generality for models. Despite the potential importance of this approach, considerations of time, available resources and logistics have traditionally limited its adoption and there are few examples of studies that have tested the consistency of patterns along sharp environmental gradients at hierarchies of spatial scales (see Benedetti-Cecchi 2001 as an example from intertidal Mediterranean rocky sea shores).

Testing hypotheses about spatial and temporal patterns of variability of assemblages across scales is methodologically complex (Rossi et al. 1992, Underwood & Chapman 1996, 1998, Legendre & Anderson 1999, Benedetti-Cecchi 2001, Perry et al. 2002). Recent advances in multivariate methods allow the analysis of multivariate data sets in structured, multifactorial designs. Such methods are not restricted to use with metric distance measures and allow partitioning of data according to any ANOVA design (Legendre & Anderson 1999, Anderson 2001a,b, McArdle & Anderson 2001). These techniques are suitable for the analysis of patterns in assemblages across multiple spatial scales (Anderson & Millar 2004, Fraschetti et al. 2006).

The aim of the present study was to conduct a mensurative experiment (*sensu* Hurlbert 1984) in order to examine distributional patterns of subtidal sessile assemblages along the south coast of Italy. We used a

structured hierarchical design to quantify the magnitude of variation attributable to each of several spatial scales at each of 3 positions along the depth gradient (5, 15, and 25 m).

In nested designs, such as the one used in this study, spatial and temporal scales are chosen arbitrarily. This contrasts with other approaches in which variability is measured continuously in space and/or in time. The advantages and disadvantages of each approach have been debated widely in the literature (see Rossi et al. 1992 and Underwood & Chapman 1996 for thorough discussion). The hierarchical sampling design provides independent, unbiased and rigorous quantitative measures of variability for each of a number of chosen spatial scales and can be implemented over much larger areas. In contrast, continuous sampling of surfaces presents fewer problems regarding the imposition of arbitrarily chosen scales and allows characterisation of scales along continuous gradients, but for any one sampling effort it is limited in its spatial extent (Underwood & Chapman 1998). Our choice of a nested design was dictated by the impossibility of sampling the entire study area continuously. Furthermore, it was not a goal of this study to try to quantify and characterise spatial variation at all intermediate spatial scales, as is commonly done using analytical techniques such as correlograms and variograms (Legendre & Fortin 1989). In the present study, spatial scales known to be relevant sources of variability for sessile marine assemblages (e.g. Fraschetti et al. 2001) were deliberately selected to compare estimates of variance components obtained for each of those scales among the 3 depths.

We provide explicit comparisons of sizes of multivariate or univariate variance components using bootstrap confidence intervals on differences for various positions along the depth gradient (e.g. Efron & Tibshirani 1993). This is the first use of such bootstrapping techniques on dissimilarity-based multivariate data to assess variability, and it is applied to provide new insights into assemblage heterogeneity in these subtidal environments. This paper therefore has 2 primary aims: (1) to describe and quantify spatial variation in subtidal assemblages along a strong ecological gradient (depth) at different spatial scales and (2) to demonstrate the use of these analytical methods in ecological studies.

MATERIALS AND METHODS

Study area and sampling design. The study area is situated along the southeastern coast of Apulia (Adriatic and Ionian Seas, SE Italy; Fig. 1). The area is characterised by wave-exposed rocky cliffs extend-

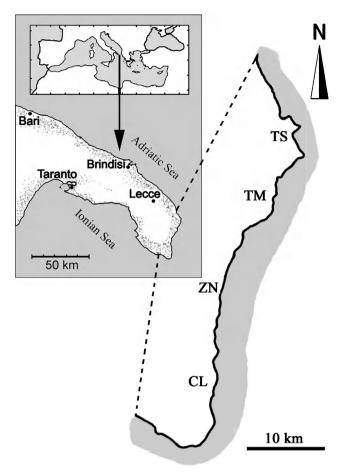


Fig. 1. Study area and position of locations: TS = Torre del Serpe; TM = Torre Minervino; ZN = Zinzulusa; CL = Ciolo

ing abruptly from the surface to a depth of about 30 m. From the surface to about 15 m depth, the rocky substrate consists of a mosaic of barrens and patches dominated by erect and encrusting algae, hydroids, encrusting bryozoans and sponges. Deeper than this, the substrate consists of so-called 'coralligenous formations' (CFs), a term broadly defining the secondary hard substrates formed by bioconstructors (e.g. calcareous encrusting algae, bryozoans, serpulids, etc.) and the biota inhabiting them (Sarà 1969, Virgilio et al. 2006). Below 30 m, the substrate is gently sloping and CFs alternate with sandy patches.

Four locations, namely Torre del Serpe (TS), Torre Minervino (TM), Zinzulusa (ZN), and Ciolo (CL) (Fig. 1), each 500 to 600 m in length along the shoreline, were randomly selected from a set of possible locations separated by at least 3 km and characterised by similar slope, type of substrate and wave exposure. Three sites (separated by at least 100 m) were selected at random within each location, and for each site sampling was undertaken at 5, 15 and 25 m depth.

Sampling was repeated on 4 randomly selected occasions, at least 2 mo apart, over a period of 15 mo (May and July 2000, February and July 2001, referred to as T1, T2, T3 and T4, respectively). Ten randomly located surfaces of 16×23 cm were sampled photographically (using a Nikonos V underwater camera, 28 mm focal length, close-up macro system and 2 SB 105-Nikon strobes) at each depth and site, yielding a total of 1440 units of observation.

Analysis of slides and taxonomic discrimination. The slides were analysed under a binocular microscope by superimposing a grid of 24 equally sized squares. Percent cover values of sessile organisms (algae and invertebrates) were determined visually by scoring each taxon in each square as follows: 0 =absence, 1 = ~25% cover, 2 = ~50% cover, 3 = ~75%cover and 4 = virtually the whole square. Organisms filling less than ¼ square were given an arbitrary value of 0.5. Scores for all 24 squares were added up, and final values expressed as percentages (Dethier et al. 1993). Motile animals (e.g. gastropods, ophiuroids and amphipods) were not counted. Destructive samples were also collected and specialists assisted in identification of organisms at the lowest practicable taxonomic level. Details of the variables recorded are reported in Appendix 1 (available as Supplementary Material at www.int-res.com/articles/suppl/m332p025_app.pdf).

Statistical analyses. Multivariate analyses: The design consisted of 4 factors: Time (T; 4 levels, random), Location (L; 4 levels, random, crossed with Time), Site (S; 3 levels, random, nested in Location, crossed with Time) and Depth (D; 3 levels [5, 15 and 25 m], fixed, crossed with Time, Location and Site), with n = 10 replicate observations per combination of factors. There were 79 variables (taxa) included in multivariate analyses. First, a distance-based permutational MANOVA (PERM-ANOVA, Anderson 2001a, McArdle & Anderson 2001) was performed on the full design, with 4999 random permutations of appropriate units (Anderson 2001b), using the computer programme PERMANOVA (freely available from www.stat.auckland.ac.nz/~mja/ Programs.htm). When there were too few possible permutations to obtain a reasonable test, a p-value was calculated using 4999 Monte Carlo draws from the appropriate asymptotic permutation distribution (Anderson & Robinson 2003). All analyses were based on Bray-Curtis dissimilarities on $\log_{10}(x+1)$ -transformed data. This transformation placed all taxa within the same range of abundance values, giving similar weight to differences in composition and abundance to the final measure of dissimilarity (Clarke & Green 1998).

Terms significant in the full model were examined individually using appropriate pairwise comparisons and non-metric multidimensional scaling (nMDS) plots of the fixed factor (Depth), within levels of the other factors (i.e. in the case of interaction terms, see 'Results'). To examine generality of patterns in assemblages with depth, we also examined nMDS plots of centroids for each Site within each combination of Time, Location and Depth (obtained using averages from principal coordinate axes of the observations (n = 10), see McArdle & Anderson 2001 for details). All nMDS plots were obtained using the PRIMER computer programme (Plymouth Marine Laboratory, UK).

As depth was found to show a strong single gradient across the full set of observations (see 'Results'), a single canonical analysis of principal coordinates (CAP, Anderson & Willis 2003, Anderson & Robinson 2003) was performed for the factor of Depth. Distinctness of groups was assessed using leave-one-out allocation success (Anderson & Robinson 2003). Individual taxa that might be responsible for any group differences seen in the CAP plot were investigated by calculating product-moment correlations of original variables with canonical ordination axes (e.g. Anderson & Willis 2003). These correlations of individual variables (taxa) with the 2 canonical axes $(r_1 \text{ and } r_2)$ were then plotted as arrows in a biplot. Only those taxa having relatively strong correlations (i.e. with an arrow length of $\sqrt{r_1^2 + r_2^2} \ge 0.2$ were included in the plot.

It was also of interest to compare the 3 depths in terms of their spatio-temporal variability at various scales. For the multivariate data, this was done by performing an analysis of the 3 random factors (Time, Location and Site) and their interactions separately for each Depth (using PERMANOVA). The multivariate pseudo variance components for each term in the model were then calculated using direct multivariate analogues to the univariate ANOVA estimators (e.g. Searle et al. 1992). In the event that an estimator resulted in a negative value, multivariate analogues to the restricted maximum likelihood (REML) estimators were used (Searle et al. 1992, Fletcher & Underwood 2002). A complete outline of the ANOVA estimators used for the model, based on expected values of mean squares for all situations, is given in Table 1. For the multivariate case, the sums of squares are interpretable as sums of squared dissimilarities (Anderson 2001a), therefore the values of pseudo multivariate variance components can be interpreted as the average squared dissimilarity among the units or levels of that random factor. In addition, the square root of each component (like a standard deviation in the univariate case) is interpretable in terms of the units of the original dissimilarity measure (e.g. Anderson et al. 2005).

Table 1. Expected values for mean squares and estimators of variance components for the 3-factor model, analysed separately at each depth. Here, a = 4 (number of times), b = 4 (number of locations), c = 3 (number of sites) and b = 10 (number of replicates). SS = sums of squares; MS = indicates mean squares and df = degrees of freedom. Further details are given in a footnote for each term in the model to identify the estimators in the event that one or more of the components was estimated at zero

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Source of
                                                                                                                                                                                                      Expected values of mean squares
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                   Estimators of variance components
variation
Time = T^{a}
                                                                                                                                                                                                   \sigma_{\mathbb{R}}^2 + n\sigma_{T \times S(L)}^2 + cn\sigma_{T \times L}^2 + bcn\sigma_T^2
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                            \hat{\sigma}_{T}^{2} = (MS_{T} - MS_{T \times I})/bcn
                                                                                                                                                                                                   \sigma_{R}^{2} + n\sigma_{T\times S(L)}^{2} + cn\sigma_{T\times L}^{2} + an\sigma_{S(L)}^{2} + acn\sigma_{L}^{2} \quad \hat{\sigma}_{L}^{2} = (MS_{L} + MS_{T\times S(L)} - MS_{S(L)} - MS_{T\times L})/acn\sigma_{L}^{2} + acn\sigma_{L}^{2} + acn\sigma_{L}^{2
Location = L^b
Site(L) = S(L)^{c}
                                                                                                                                                                                                 \sigma_{R}^{2} + n\sigma_{T\times S(L)}^{2} + an\sigma_{S(L)}^{2}
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                            \hat{\sigma}_{S(L)}^2 = (MS_{S(L)} - MS_{T \times S(L)} / an
T\times L^{\text{d}}
                                                                                                                                                                                                 \sigma_R^2 + n\sigma_{T\times S(L)}^2 + cn\sigma_{T\times L}^2
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                              \sigma_{T \times L}^2 = (MS_{T \times L} - MS_{T \times S(L)}/cn
                                                                                                                                                                                                   \sigma_{\text{R}}^2 + n \sigma_{\text{T} \times \text{S(L)}}^2
T \times S(L)
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                              \sigma_{T\times S(L)}^2 = (MS_{T\times S(L)} - MS_R/n
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                            \hat{\sigma}_{R}^{2} = MS_{R}
Residual = R
  ^{a}\text{If }\mathring{\sigma}_{T\times L}^{2}\leq0\text{ and }\mathring{\sigma}_{T\times S(L)}^{2}>0\text{, then }\mathring{\sigma}_{T}^{2}=(MS_{T}-MS_{pooled})/bcn\text{, where }MS_{pooled}=(SS_{T\times L}+SS_{T\times S(L)})/(df_{T\times L}+df_{T\times S(L)}+df_{T\times S(L)})/(df_{T\times L}+df_{T\times S(L)}+df_{T\times S(L)}+d
           If \hat{\sigma}_{T\times S(L)}^2 \le 0 and \hat{\sigma}_{T\times L}^2 > 0, then \hat{\sigma}_{T}^2 = (MS_T - MS_{T\times L})/bcn
             \text{If } \hat{\sigma}_{T \times S(L)}^2 \leq 0 \text{ and } \hat{\sigma}_{T \times S(L)}^2 \leq 0 \text{, then } \hat{\sigma}_T^2 = (MS_T - MS_{pooled}) / \text{bcn, where } MS_{pooled} = (SS_{T \times L} + SS_{T \times S(L)} + SS_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_{T \times S(L)} + df_R) / (df_{T \times L} + df_T \times df_T) / (df_T 
  <sup>b</sup>If \hat{\sigma}_{S(L)}^2 \le 0, \hat{\sigma}_{T \times S(L)}^2 > 0 and \hat{\sigma}_{T \times L}^2 > 0, then \hat{\sigma}_L^2 = (MS_L - MS_{T \times L})/acn
           If \hat{\sigma}_{T \times L}^2 \le 0, \hat{\sigma}_{T \times S(L)}^2 > 0 and \hat{\sigma}_{S(L)}^2 > 0, then \hat{\sigma}_{L}^2 = (MS_L - MS_{S(L)})/acn
             \text{If } \hat{\sigma}_{\mathsf{T} \times \mathsf{L}}^2 \leq 0, \\ \hat{\sigma}_{\mathsf{S}(\mathsf{L})}^2 \leq 0 \text{ and } \hat{\sigma}_{\mathsf{T} \times \mathsf{S}(\mathsf{L})}^2 > 0, \\ \text{then } \hat{\sigma}_{\mathsf{L}}^2 = (\mathsf{MS}_{\mathsf{L}} - \mathsf{MS}_{\mathsf{pooled}}) / \\ \text{acn, where } \\ \mathsf{MS}_{\mathsf{pooled}} = (\mathsf{SS}_{\mathsf{T} \times \mathsf{L}} + \mathsf{SS}_{\mathsf{S}(\mathsf{L})} + \mathsf{SS}_{\mathsf{T} \times \mathsf{S}(\mathsf{L})}) / (df_{\mathsf{T} \times \mathsf{L}} + df_{\mathsf{S}(\mathsf{L})} + df_{\mathsf{T} \times \mathsf{S}(\mathsf{L})}) / (df_{\mathsf{T} \times \mathsf{L}} + df_{\mathsf{S}(\mathsf{L})} + df_{\mathsf{T} \times \mathsf{S}(\mathsf{L})}) / (df_{\mathsf{T} \times \mathsf{L}} + df_{\mathsf{S}(\mathsf{L})} + df_{\mathsf{T} \times \mathsf{S}(\mathsf{L})}) / (df_{\mathsf{T} \times \mathsf{L}} + df_{\mathsf{S}(\mathsf{L})} + df_{\mathsf{T} \times \mathsf{S}(\mathsf{L})}) / (df_{\mathsf{T} \times \mathsf{L}} + df_{\mathsf{S}(\mathsf{L})} + df_{\mathsf{L} \times \mathsf{S}(\mathsf{L})}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L} \times \mathsf{S}(\mathsf{L})} + df_{\mathsf{L} \times \mathsf{S}(\mathsf{L})}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L} \times \mathsf{S}(\mathsf{L})} + df_{\mathsf{L} \times \mathsf{S}(\mathsf{L})}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L} \times \mathsf{S}(\mathsf{L})} + df_{\mathsf{L} \times \mathsf{S}(\mathsf{L})}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L} \times \mathsf{S}(\mathsf{L})} + df_{\mathsf{L} \times \mathsf{S}(\mathsf{L})}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L} \times \mathsf{L}}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L}}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L}} + df_{\mathsf{L}}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L}} + df_{\mathsf{L}}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L}}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L}}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L}}) / (df_{\mathsf{L}} + df_{\mathsf{L}}) / (df_{\mathsf{L} \times \mathsf{L}} + df_{\mathsf{L}}) / (df_{\mathsf{L} \times
             If \hat{\sigma}_{S(L)}^2 \le 0, \hat{\sigma}_{T \times S(L)}^2 \le 0 and \hat{\sigma}_{T \times L}^2 > 0, then \hat{\sigma}_L^2 = (MS_L - MS_{T \times L})/acn
             If \hat{\sigma}_{T\times L}^2 \le 0, \hat{\sigma}_{T\times S(L)}^2 \le 0 and \hat{\sigma}_{S(L)}^2 > 0, then \hat{\sigma}_L^2 = (MS_L - MS_{S(L)})/acn
           If \ \hat{\sigma}_{T \times S(L)}^2 \leq 0, \ \hat{\sigma}_{T \times L}^2 > 0 \ and \ \hat{\sigma}_{S(L)}^2 > 0, \ then \ \hat{\sigma}_{L}^2 = (MS_L - MS_{pooled} - MS_{S(L)} - MS_{T \times S(L)})/acn, \ where \ MS_{pooled} = (SS_{T \times S(L)} + SS_R)/(df_{T \times S(L)} + df_R)/(df_{T \times S(L)} + df_R)/(df_T + df_R
             \text{If } \hat{\sigma}_{S(L)}^2 \leq 0, \\ \hat{\sigma}_{T \times L}^2 \leq 0 \text{ and } \hat{\sigma}_{T \times S(L)}^2 \leq 0, \\ \text{then } \hat{\sigma}_{L}^2 = (MS_L - MS_{pooled})/\text{acn, where } MS_{pooled} = (SS_{T \times L} + SS_{S(L)} + SS_{T \times S(L)} + SS_{R}) \\ \text{then } \hat{\sigma}_{L}^2 = (MS_L - MS_{pooled})/\text{acn, where } MS_{pooled} = (SS_{T \times L} + SS_{S(L)} + SS_{T \times S(L)} + SS_{R}) \\ \text{then } \hat{\sigma}_{L}^2 = (MS_L - MS_{pooled})/\text{acn, where } MS_{pooled} = (SS_{T \times L} + SS_{S(L)} + SS_{T \times S(L)} + SS_{R}) \\ \text{then } \hat{\sigma}_{L}^2 = (MS_L - MS_{pooled})/\text{acn, where } MS_{pooled} = (SS_{T \times L} + SS_{S(L)} + SS_{T \times S(L)} + SS_{R}) \\ \text{then } \hat{\sigma}_{L}^2 = (MS_L - MS_{pooled})/\text{acn, where } MS_{pooled} = (SS_{T \times L} + SS_{S(L)} + SS_{T \times S(L)} + SS_{R}) \\ \text{then } \hat{\sigma}_{L}^2 = (MS_L - MS_{pooled})/\text{acn, where } MS_{pooled} = (SS_{T \times L} + SS_{S(L)} + SS_{T \times S(L)} + SS_{R}) \\ \text{then } \hat{\sigma}_{L}^2 = (MS_L - MS_{pooled})/\text{acn, where } MS_{pooled} = (SS_{T \times L} + SS_{S(L)} + SS_{T \times S(L)} + S
                             /(\mathrm{df}_{T\times L}+\mathrm{df}_{S(L)}+\mathrm{df}_{T\times S(L)}+\mathrm{df}_{R})
  {}^{c}\text{If }\hat{\sigma}_{T\times S(L)}^{2}\leq 0 \text{ and }\hat{\sigma}_{S(L)}^{2}=(MS_{S(L)}-MS_{pooled})/\text{an, where }MS_{pooled}=(SS_{T\times S(L)}+SS_{R})/(df_{T\times S(L)}+df_{R})
    {}^{d}If\ \hat{\sigma}_{T\times S(L)}^{2} \leq 0,\ then\ \hat{\sigma}_{T\times L}^{2} = (MS_{T\times L} - MS_{pooled})/cn,\ where\ MS_{pooled} = (SS_{T\times S(L)} + SS_{R})/(df_{T\times S(L)} + df_{R})
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Comparisons among the 3 depths in the values of their estimated variance components were obtained by calculating the 95% confidence intervals for the pairwise differences in these estimates using bootstrapping (Efron & Tibshirani 1993). Bootstrap data were obtained by sampling randomly and by replacing first a Time, then a Location and then a Site, keeping the individual observations within a cell together (Davison & Hinkley 1997). Bias-corrected confidence intervals were obtained for the 0.025 and 0.975 percentiles of the bootstrap distribution of 5000 samplings (Efron & Tibshirani 1993). Confidence intervals that did not include zero provided evidence for a difference between the 2 depths being compared. All bootstrap confidence intervals were calculated using a specialpurpose computer programme written in FORTRAN by M. J. Anderson.

To understand how different components of the assemblage (i.e. relatively abundant versus rarer taxa) may provide different information with respect to estimated multivariate pseudo variance components at different depths, we compared the bootstrap variance components for several different transformations of the multivariate data: no transformation, transformation to $\log_{10}(x+1)$ and presence/absence.

Univariate analyses: Analysis of variance was used to examine spatial patterns for single taxa. The model of analysis was the same as that described for the multivariate case. When appropriate, Student-Newman-Keuls (SNK) tests were carried out for post hoc multiple comparisons of the means. Anderson's test (Winer et al. 1991) was used to test for differences in the frequency with which depths were given a particular rank by SNK tests in a series of multiple comparisons. These tests were applied to those subsets of multiple

comparisons that unequivocally ranked a particular depth as the first or the lowest in the sequence. Cochran's *C*-test was employed to examine homogeneity of variances. Analyses were performed on untransformed data when variances were homogeneous, otherwise transformations were applied to the original data, as indicated in tables.

Variance components were obtained using REML estimators (Searle et al. 1992). To test the hypothesis that patterns in spatial and temporal variances of single taxa differed among depths, the same bootstrap procedure described for the multivariate case was employed. These analyses were performed on untransformed data.

RESULTS

Multivariate analyses

Effects of depth on assemblages varied from site to site and from time to time as evidenced by the significant T \times D \times S(L) interaction term (Table 2). Pairwise comparisons of assemblages at the 3 different depths within each T \times S(L) combination (48 sets of 3 tests each) revealed 2 comparisons (15 vs. 25 m) which were not statistically significant (0.05 \times S(L) comparison (Appendix 2, available as Supplementary Material at www.int-res.com/articles/suppl/m332p025_app.pdf) support these general results. Although the effects of depth were generally clear, there were particular locations and times where the dif-

Table 2. Permutational MANOVA on the basis of the Bray-Curtis dissimilarities on $\log(x+1)$ -transformed abundance data from 79 variables (taxa, see Appendix 1). Each test was based on 4999 permutations of appropriate units. The term used for the denominator mean square is given in the column $\mathrm{MS}_{\mathrm{denom}}$. The appropriate permutable units are indicated by the denominator mean square in each case and are shown in the final column (see Anderson & ter Braak 2003 for details). No single denominator was available to construct appropriate tests for D, L or D \times L, so these tests were not performed (indicated by 'No test')

Source of variation	df	SS	MS	F	P(perm)	$\mathrm{MS}_{\mathrm{denom}}$	Permutable units
Time = T	3	131613.830	43871.277	4.750	0.000	$T \times L$	16 T×L cells
Depth = D	2	530021.783	265010.891	No test			
Location = L	3	153813.322	51271.107	No test			
Site(L) = S(L)	8	43383.401	5422.925	1.551	0.017	$T \times S(L)$	$48 \text{ T} \times \text{S(L)} \text{ cells}$
$T \times D$	6	62683.801	10447.300	2.203	0.010	$T \times D \times L$	$48 \text{ T} \times \text{D} \times \text{L cells}$
$T \times L$	9	83122.007	9235.779	6.641	0.000	$D \times S(L)$	$48 D \times S(L) cells$
$T \times S(L)$	24	83918.649	3496.610	2.860	0.000	Residual	1440 raw data units
$D \times L$	6	137685.333	22947.555	No test			
$D \times S(L)$	16	98869.301	6179.331	2.012	0.000	$T \times D \times S(L)$	144 T \times D \times S(L) cells
$T \times D \times L$	18	85357.295	4742.072	1.544	0.003	$T \times D \times S(L)$	144 T \times D \times S(L) cells
$T \times D \times S(L)$	48	147403.279	3070.902	2.512	0.000	Residual	` ,
Residual	1296	1584552.990	1222.649				
Total	1439	3142424.991					

ferences were less distinct (e.g. Time 2, Location TS, Sites 2 and 3; Appendix 2). Thus, effects of depth within sites were generally strong, with clear differences between 5 and 25 m always detected, but the relative sizes of these effects varied.

At a larger scale (within locations rather than sites), there was also a significant $T \times$ D × L interaction (Table 2). At Location TS, there were no significant differences detected between assemblages at 5 and those at 15 m, nor between those at 15 and those at 25 m (Table 3). No significant differences were found between assemblages at 15 and 25 m for Location TM either. More consistent significant differences among all depths were found at the 2 southern Locations CL and ZN. Non-metric MDS plots of site centroids for each time generally showed a strong depth gradient, with clear differences between assemblages at 5 and 25 m (Fig. 2). However, differences among locations were not evident from these 2-factor plots (Fig. 2).

An overall nMDS plot of site centroids for all locations, times and depths demon-

Table 3. Multivariate pairwise comparisons among the 3 depths (5, 15, 25 m) at each location and time (following the significant $T\times D\times L$ interaction term in Table 2) on the basis of the Bray-Curtis dissimilarities on $\log(x+1)$ -transformed data, with the p-value for each test obtained using a Monte Carlo draw from the asymptotic permutation distribution (see Anderson & Robinson 2003 for details). This approach was used because there are only 10 possible permutations of the appropriate $T\times D\times S(L)$ units (i.e. the n = 10 replicates need to be kept together and permuted as a unit, thus there were only 3 units per site). No corrections for multiple tests have been applied. For location abbreviations see Fig. 1

Location	Time	5 m vs	. 15 m	5 m vs	. 25 m	15 m vs	s. 25 m
		t	p	t	p	t	p
TS	1	1.858	0.059	2.491	0.015	1.580	0.089
TS	2	1.193	0.274	2.159	0.024	1.218	0.258
TS	3	1.640	0.080	2.489	0.017	0.857	0.545
TS	4	1.563	0.109	1.675	0.075	0.935	0.474
TM	1	1.929	0.046	3.222	0.008	1.754	0.070
TM TM	2 3	3.220 1.999	0.007	3.299 3.179	0.005 0.005	1.485 1.782	0.130 0.074
TM	4	2.419	0.014	3.179	0.009	1.508	0.128
CL	1	4.085	0.003	3.327	0.006	1.648	0.100
CL	2	3.380	0.006	3.787	0.006	2.429	0.016
CL	3 4	2.768	0.010	3.655	0.005	1.970	0.046
CL		2.979	0.011	3.628	0.005	1.830	0.051
ZN	1	1.977	0.039	3.372	0.004	2.457	0.018
ZN	2	2.394	0.019	4.371	0.002	4.211	0.003
ZN	3	2.715	0.012	3.453	0.004	2.578	0.023
ZN	4	2.796	0.013	3.781	0.003	2.577	0.017

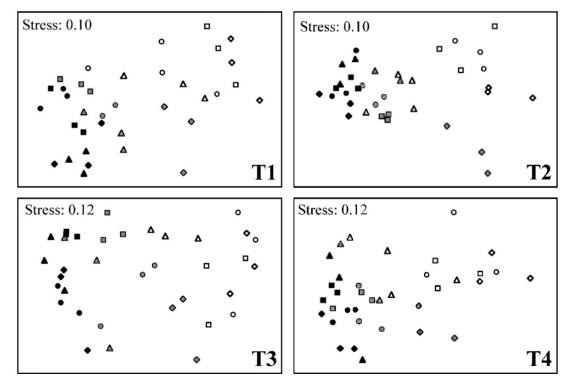


Fig. 2. Two-factor non-metric MDS plots among centroids of n=10 observations based on the Bray-Curtis dissimilarities on $\log_{10}(x+1)$ -transformed data showing the patterns of differences among assemblages at different locations ($\Delta=TS$; O=TM; $\square=ZN$ and $\diamondsuit=CL$, for abbreviations see Fig. 1) and different depths (white symbols = 5 m; grey symbols = 15 m; black symbols = 25 m) at each of the 4 sampling times (T1, T2, T3, T4)

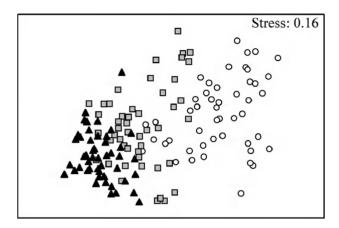


Fig. 3. Non-metric MDS plot among centroids of 10 observations based on the Bray-Curtis dissimilarities on $\log_{10}(x+1)$ transformed data showing the overall gradient of variation in assemblages from depths of 5 m (\bigcirc), 15 m (\square) and 25 m (\blacktriangle)

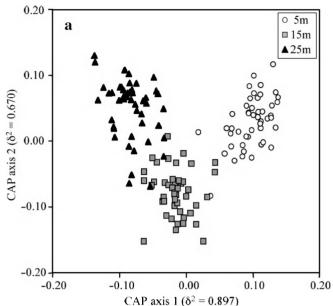
Table 4. Results of leave-one-out allocation success from the canonical analysis of principal coordinates (CAP). The analysis was done using the first m=16 principal coordinate axes (explaining 93.8 % of the variation in the original dissimilarity matrix) based on the Bray-Curtis dissimilarities on $\log_{10}(x+1)$ -transformed data. The squared canonical correlations for the 2 canonical axes were $\delta_1^2=0.90$ and $\delta_2^2=0.67$

Original group	5 m	lassified 15 m	l as: 25 m	Total	% correct
5 m	46	2	0	48	95.83
15 m	1	45	2	48	93.75
25 m	0	4	44	48	91.67
				T	otal = 93.75

strated a clear single depth gradient, with assemblages at 5 m being somewhat more distinct than those at either 15 or 25 m (Fig. 3). This and the patterns seen in the four 2-factor plots (Fig. 2) suggest strongly that the 3-way interaction of $T \times D \times L$ was caused by variation in the sizes of the effects of depth, but not in their general direction in multivariate space (i.e. compositional structure).

The CAP achieved the highest allocation success (91.2%) using $\emph{m}=16$ principal coordinate axes, which themselves also explained 93.8% of the variation in the original dissimilarity matrix (Table 4). The 2 canonical axes (the number required to distinguish 3 groups in multivariate space) had very high canonical correlations with the multivariate assemblages (δ^2 , Fig. 4). The assemblages at 5 m were the most distinct, but assemblages at 15 and 25 m also separated quite well on the canonical plot (Fig. 4).

Several individual variables demonstrated high correlations with the canonical axes (see Table 5 for the abbreviations of the variable taxa used in Fig. 4b).



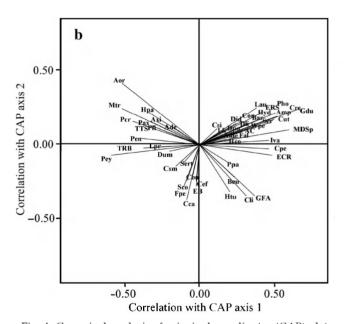


Fig. 4. Canonical analysis of principal coordinates (CAP) plot showing (a) canonical axes that best discriminate assemblages at the 3 different depths and (b) correlations of original taxa variables with the canonical axes. Abbreviations for the taxa in the plot are given in Table 5

Assemblages at 25 m (arrows pointing to the upper left of the CAP plot, Fig. 4b) were characterised by massive sponges (Agelas oroides, Axinella sp. and Petrosia ficiformis), the anthozoan Parazoanthus axinellae, erect bryozoans (Myriapora truncata, Pentapora sp. and Adeonella sp.) and the ascidian Halocynthia papillosa. A few green (Palmophyllum crassum) and red algae (the thin tubular-like sheet algae) also characterised the assemblage at 25 m (Fig. 4b).

Table 5. Definitions (in alphabetic order) of the abbreviations used in Fig. 4b. Full taxonomic details of the variables included in analyses are reported as supplementary material in Appendix 1 (available at www.int-res.com/articles/suppl/m332p025_app.pdf

Abbr.	Name of variable	Abbr.	Name of variable
AC	Articulated corallines	Fpe	Flabellia petiolata
Ade	Adeonella sp.	Gdu	Gastrochaena dubia
Ame	Ascidia mentula	GFA	Filamentous green algae
Amp	Amphiroa spp.	Hco	Hemimycale columella
Aor	Agelas oroides	Нра	Halocynthia papillosa
Axi	$Axinella$ \mathbf{sp} .	Htu	Halimeda tuna
Bar	Balanus perforatus	Hyd	Hydroids
Beu	Balanophyllia europaea	Iva	Ircinia variabilis
Cbu	Codium bursa	Lau	Laurencia complex
Cca	Cladocora caespitosa	Lli	Lithophaga lithophaga
Cef	Codium effusum	Lpr	Leptopsammia pruvoti
Cli	Cliona spp.	MDSp	Massive dark sponges
Cor	$Corallina \ {f spp}.$	Mtr	Myriapora truncata
Сре	Cereus pedunculatus	Pax	Parazoanthus axinellae
Cre	Chondrosia reniformis	Pcr	Palmophyllum crassum
Csi	Colpomenia sinuosa	Pen	Pentapora sp.
Csm	Caryophyllia smithii	Pey	Peyssonnelia spp.
Cut	Cutleriales	Pfi	Petrosia ficiformis
Did	Didemnidae	Pho	Phorbas spp.
Dli	Diplosoma listerianum	Ppa	Padina pavonica
Dpo	Dictyopteris polypodioides	Sco	Sphaerococcus coronopifolius
Dum	Dumontiaceae	Ser	Serpuloidea
EB	Encrusting bryozoans	Sert	Sertella sp.
ECR	Encrusting calcified Rhodophyta	TRB	Thin ramified bryozoans
ERS	Encrusting red sponges	TTS	Thin tubular sheet-like algae
FAL	Filamentous algae	Wpe	Wrangelia penicillata

At 15 m (arrows pointing to the lower half of the CAP plot, Fig. 4b), the assemblage was generally characterised by both solitary and colonial anthozoans (*Leptosammia pruvoti, Caryophyllia smithii, Balanophyllia europea* and *Cladocora cespitosa*), bryozoans (*Sertella* sp. and the groups of encrusting and thin ramified bryozoans) and boring sponges of the family Clionidae. The algae *Flabellia petiolata, Halimeda tuna* and *Padina pavonica* and some other taxa of red (*Peyssonnelia* spp., *Sphaerococcus coronopifolius* and Dumontiaceae) and green algae (*Codium effusum, Codium bursa* and the group of green filamentous algae) also characterised the assemblage at 15 m (Fig. 4b).

At 5 m depth (arrows pointing to the right or upper right of the CAP plot, Fig. 4b), the assemblage was characterised by anthozoans (*Cereus pedunculatus*), polychaetes (Serpulidae), boring bivalves (*Lithophaga lithophaga* and *Gastrochaena dubia*), barnacles, colonial ascidians (*Diplosoma listerianum* and the family of Didemnidae), hydroids and a diverse set of massive (*Ircinia variabilis* and the group of massive dark sponges) and encrusting sponges (*Hemimycale columella*, the species of the genus *Phorbas* and the species *Crambe crambe* and *Spirastrella cunctatrix*, here grouped as encrusting red sponges). A complex suite

of both red and brown algae also characterised the assemblage at 5 m. These included encrusting (the brown algae of the order of Cutleriales and a complex suite of encrusting calcified red algae), globose (Colpomenia sinuosa), erect (Dictyopteris polypoides, Wrangelia penicillata), filamentous (the group of filamentous algae) and turf-forming species (Corallina spp., Laurencia complex and the group of articulated corallines including the species Haliptilon virgatum and Jania rubens) (Fig. 4b).

The pseudo multivariate variance components for Time and for T \times S(L) were greatest at shallow depths (5 m), regardless of the transformation used, although no significant differences among depths in their relative sizes were detected (Table 6). In contrast, there was no clear pattern of difference among locations (i.e. for the T \times L interaction, 5 m = 15 m = 25 m, Table 6). In addition, there was greater average variability among locations and among sites at the intermediate depth of 15 m than at either 25 or

5 m (Table 6). Interestingly, residual variability among assemblages, from one quadrat to the next, was larger than any other component of variation measured in the study (Fig. 5). Variability among locations was larger than other variance components (apart from the residual) at intermediate depths (15 m), whereas at depths of 5 and 25 m, variability among sites was the smallest measured variance component (Fig. 5).

Comparisons of the sizes of temporal and spatial variance components among different depths varied, depending on the transformation used. With presence/absence data, there was significantly greater small-scale variability at the deepest depth (25 m), followed by the intermediate (15 m) and then the shallow depth (5 m). In contrast, with untransformed data, significantly greater residual variability in assemblages was detected at shallower depths (5 m > 15 m > 25 m, Table 6).

Univariate analyses

Most taxa exhibited heterogeneous distributions, which resulted in many zeros in the data set. Overdispersion prevented the use of traditional univariate

Table 6. Estimates of multivariate pseudo variance components (79 variables) for each term in the model at each of the 3 depths, obtained using the estimators given in Table 1 and the mean squares given in Table 2. The results of the pairwise comparisons of the estimates using bootstrap 95 % confidence intervals on the differences between each level of depth (5, 15, 25 m) are shown in each case as 'test outcome' (data show order of estimates from largest to smallest; inequalities indicate a significant difference at p < 0.05; = indicates no significant differences). No corrections for multiple tests have been applied; T.o. = test outcome

	Depth	Bray-Curtis No transformation	Bray-Curtis $Log(x+1)$	Bray-Curtis pres/abs
Time = T	5 m	0.0236	0.0184	0.0134
	15 m	0.0052	0.0092	0.0097
	25 m	0.0040	0.0108	0.0108
	T.o.	5 m = 15 m = 25 m	5 m = 15 m = 25 m	5 m = 15 m = 25 m
Location = L	5 m	0.0283	0.0182	0.0103
	15 m	0.0496	0.0311	0.0244
	25 m	0.0046	0.0093	0.0124
	T.o.	5 m = 15 m, 5 > 25 m, 15 m > 25 m	5 m = 15 m, 5 = 25 m, 15 m > 25 m	5 m < 15 m, 5 = 25 m, 15 m > 25 m
Site(L) = S(L)	5 m	0.0050	0.0059	0.0047
	15 m	0.0096	0.0101	0.0114
	25 m	0.0029	0.0044	0.0046
	T.o.	5 m = 15 m, 5 = 25 m, 15 m > 25 m	5 m = 15 m, 5 = 25 m, 15 m > 25 m	5 m = 15 m, 5 = 25 m, 15 m > 25 m
T×L	5 m	0.0095	0.0089	0.0078
	15 m	0.0094	0.0106	0.0091
	25 m	0.0066	0.0108	0.0134
	T.o.	5 m = 15 m = 25 m	5 m = 15 m = 25 m	5 m = 15 m = 25 m
$T \times S(L)$	5 m	0.0405	0.0281	0.0199
	15 m	0.0146	0.0160	0.0179
	25 m	0.0130	0.0157	0.0196
	T.o.	5 m > 15 m, 5 > 25 m, 15 m = 25 m	5 m = 15 m = 25 m	5 m = 15 m = 25 m
Residual	5 m	0.1683	0.1283	0.1077
	15 m	0.1286	0.1223	0.1424
	25 m	0.0814	0.1162	0.1625
	T.o.	5 m > 15 m > 25 m	5 m = 15 m, 5 > 25 m, 15 m = 25 m	25 m > 15 m > 5 m

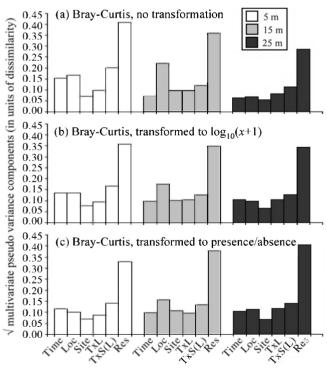


Fig. 5. Multivariate pseudo variance components for different spatial and temporal terms in the model at each of 3 depths. Note that the scale is in the same units as the Bray-Curtis dissimilarity measure

analyses on most taxa. Only 5 taxa were common enough to be analysed with ANOVA. In all cases, there were significant $T \times D \times S(L)$ interactions (Table 7). This indicated that differences among depths changed interactively in space and time. In order to identify possible patterns within these interactions, mean values were compared across depths within each of the 48 T \times S(L) combinations. Of the 48 SNK tests on mean number of taxa, 30 identified clear patterns of differences among depths and in all cases the 5 m depth was ranked first significantly more often than expected by chance (Anderson test: $Q^2 = 60$, df = 2, p < 0.001). Of the remaining 18 tests, 6 could not distinguish between the 5 m depth and either the 15 or the 25 m depths (3 tests in each case), 8 detected no differences and 4 failed to identify a clear alternative to the null hypothesis.

Shallow depths (5 m) ranked first in terms of mean percent cover of encrusting calcified red algae in 17 out of 23 comparisons, which was statistically significant (Anderson test: $Q^2 = 19.4$, df = 2, p < 0.001). It should be noted, however, that of the 48 SNK tests, 17 did not detect any difference among depths, 10 did not distinguish between 5 m and either 15 m (8 tests) or 25 m (2 tests) and 4 did not identify any clear alternative to the null hypothesis.

Source of	df	No. of to	axa	ECF	{	GFA	A	Pev		ERS	3
variation		MS	F	MS	F	MS	F	MS	F	MS	F
Time = T	3	594.4	5.1*	3.260	0.6	56.72	9.2**	1526.8	1.9	0.297	0.2
Depth = D	2	1509.7	nt	146.7	nt	82.4	nt	118159.1	nt	48.0	nt
Location = L	3	95.2	nt	65.5	nt	7.0	nt	21729.2	nt	6.2	nt
Site(L) = S(L)	8	16.4	0.9	3.47	1.1	1.8	1.4	417.4	0.7	2.4	2.2
$T \times D$	6	36.9	2.2	9.0	2.7*	1.6	0.9	1777.8	3.4*	0.3	0.2
$T \times L$	9	117.2	6.1***	5.4	1.7	6.1	4.8**	816.1	1.4	1.2	1.1
$T \times S(L)$	24	19.2	3.7***	3.2	4.2***	1.3	1.9**	598.1	2.7***	1.1	2.1**
$D \times L$	6	59.4	nt	13.1	nt	2.3	nt	15704.7	nt	6.5	nt
$D \times S(L)$	16	20.4	2.2*	3.4	1.4	1.4	0.9	1572.2	2.0*	2.5	2.9**
$T \times D \times L$	18	16.7	1.8	3.3	1.4	1.8	1.1	531.1	0.7	1.8	2.2*
$T \times D \times S(L)$	48	9.4	1.8***	2.4	3.2***	1.6	2.4***	791.4	3.6***	0.8	1.6**
Residual	1296	5.2			0.7		0.7	221.0		0.5	
Total	1439										
Cochran's <i>C</i> -tes Transformation	st	C = 0.0239 None		C = 0.0168 $Ln(x+1)$		C = 0.0238 $Ln(x+1)$		C = 0.0237 None		C = 0.0253 $Ln(x+1)$	

Table 7. Results of ANOVAs on spatial and temporal patterns in mean number and mean percentage cover of taxa in the region of study. *p < 0.05, **p < 0.01, ***p < 0.001. Abbreviations as in Fig. 4b; see Table 5 for further details. nt: no test

SNK tests on mean cover of green filamentous algae displayed variable outcomes. Of the 48 tests, 19 did not detect any difference among depths and 6 did not identify any interpretable pattern. Only 16 tests displayed a clear rank of depths. Of these, 15 ranked the 25 m depth lowest in terms of percent cover of filamentous green algae significantly more often than expected by chance (Anderson test: $Q^2 = 26.4$, df = 2, p < 0.001). The remaining 7 tests did not distinguish between 25 m and either 5 m (4 tests) or 15 m (3 tests).

Mean percent cover of *Peyssonnelia* spp. increased with depth. SNK tests identified clear ranks on 32 occasions; among these, the shallow depth (5 m) was ranked lowest in 29 cases, resulting in a significant pattern of differences (Anderson test: $Q^2 = 47.7$, df = 2, p < 0.001). Of the remaining SNK tests, 12 did not distinguish between 5 m and either 15 m (10 tests) or 25 m (2 tests), 2 did not detect any difference among depths and 2 did not provide an interpretable result.

SNK tests on mean cover of encrusting red sponges produced clear ranks of depths on 22 out of 48 occasions. Within these tests, 21 ranked the 5 m depth first—significantly more often than expected by chance (Anderson test: $Q^2 = 38.3$, df = 2, p < 0.001). Of the remaining tests, 2 did not detect any difference between 5 m and either 15 or 25 m (1 test in each case), 18 did not detect any difference at all and 7 failed to identify a sensible alternative to the null hypothesis.

Patterns in spatial and temporal variance differed among depths for all the variables examined (Table 8). Differences occurred at the scales of location, site and replicate, whereas space × time interactions were consistent among depths. Most of these differences reflected patterns in mean abundance. For example, variance in the number of taxa was larger at shallow

depths where mean abundances were also larger. Similarly, variances in percent cover of ECR at the scales of location and replicate were significantly larger at depths of 15 and 5 m, respectively, where these algae were more abundant. Similar patterns of reduction in variance with depth were observed for green filamentous algae and encrusting red sponges. In contrast, *Peyssonnelia* spp. were consistently and significantly more variable at intermediate depths (15 m) at the scales of location, site and replicate, though larger values in mean cover were observed at greater depths (25 m).

DISCUSSION

This study has described quantitatively the salient patterns of variation in subtidal assemblages along a depth gradient, integrating the use of multivariate and univariate techniques. Overall, there were large and significant differences among depths in the structure of sessile assemblages. Such differences were not independent of species identity, with some taxa being found exclusively at a particular depth. More importantly, differences among depths in assemblage structure varied interactively with time and across the horizontal scales. Overall, subtidal assemblages appeared as a mosaic of patches superimposed on the depth gradient.

Although the relative size of depth effects was variable, the qualitative nature of these effects on sessile assemblages was strong and characterisable in terms of component taxa. This finding is not surprising and concurs with the results of many other studies dealing with depth gradients in subtidal habitats (reviewed by

Table 8. Summary of results of comparisons of estimates of variance components across depths using bootstrap 95% confidence intervals of the differences between each level of depth. Only outcomes that were significant and interpretable are shown. Test outcome data show order of estimates from largest to smallest; inequalities indicate a significant difference at p < 0.05; = indicates no significant differences. No corrections for multiple tests have been applied. Abbreviations as in Fig. 4b; see Table 5 for further details

Response variable	Source of variation	Comparison	Mean difference	$\mathrm{CI}_{\mathrm{low}}$	CI_{high}	Test outcome	
No. of taxa	Site(L)	5 m – 15 m 5 m – 25 m 15 m – 25 m	0.017 0.046 0.029	-0.345 0.069 0.109	0.365 0.625 0.571	5 m = 15 m > 25 m	
	Residual	5 m – 15 m 5 m – 25 m 15 m – 25 m	1.099 1.043 -0.056	0.280 0.231 -0.858	2.156 2.095 0.742	5 m > 25 m = 15 m	
ECR	Location	5 m – 15 m 5 m – 25 m 15 m – 25 m	-1.238 2.444 3.682	-69.87 -0.992 39.542	-23.35 20.37 72.34	15 m > 5 m = 25 m	
	Residual	5 m – 15 m 5 m – 25 m 15 m – 25 m	31.256 68.912 37.655	15.554 61.304 29.046	54.335 92.932 54.755	5 m > 15 m > 25 m	
GFA	Residual	5 m – 15 m 5 m – 25 m 15 m – 25 m	6.154 24.951 18.797	-7.786 14.426 14.490	23.653 43.383 27.367	5 m = 15 m > 25 m	
Pey	Location	5 m – 15 m 5 m – 25 m 15 m – 25 m	-12.899 4.689 17.588	-279.884 75.072 222.201	-88.584 164.160 383.459	15 m > 5 m > 25 m	
	Site(L)	5 m – 15 m 5 m – 25 m 15 m – 25 m	-1.261 -0.212 1.049	-51.006 -25.272 7.060	-17.612 4.516 41.839	15 m > 25 m > 5 m	
	Residual	5 m – 15 m 5 m – 25 m 15 m – 25 m	-125.519 -28.566 96.953	-182.284 -63.623 67.798	-98.618 -0.108 148.250	15 m > 25 m > 5 m	
ERS	Site(L)	5 m – 15 m 5 m – 25 m 15 m – 25 m	0.086 0.124 0.038	0.597 1.206 0.255	1.821 2.269 0.776	5 m > 15 m > 25 m	
	Residual	5 m – 15 m 5 m – 25 m 15 m – 25 m	10.944 12.649 1.705	4.860 7.802 -5.002	19.129 20.228 8.820	5 m > 15 m = 25 m	

Witman & Dayton 2001). Many processes have been proposed as the drivers of these patterns; these processes include changes in light intensity (e.g. Glasby 1999), water movement and sedimentation (Airoldi 2003), salinity (Witman & Grange 1998), physical (Ayling 1984) and biological disturbance (Ayling 1981, Witman 1985) or the interplay between biotic and abiotic processes (e.g. Smith & Witman 1999). Such a paradigmatic description of vertical changes has overlooked other important sources of spatial and temporal variation that can interact with these processes (Benedetti-Cecchi 2001, Bussotti et al. 2006).

Spatial variability in the structure of assemblages was relevant at all the scales examined within each of the 3 depths considered. This result indicates that patterns are not invariant to scale, suggests care in generalising the results from small-scale experiments to broader spatial extents (Wootton 2001) and

highlights the importance of adopting multi-scale approaches in analyses of spatial patterns (Kotliar & Wiens 1990, Levin 1992, Hewitt et al. 1998, Fowler-Walker & Connell 2002).

Variability at the spatial scale of hundreds of metres was important in the present study, as it was in other analyses of spatial patterns in marine assemblages (Underwood & Chapman 1996, Fraschetti et al. 2005b). On rocky substrates, biological effects, such as grazing by sea urchins (Witman 1985) and physical disturbance, such as storm damage (Witman 1987), influence the distribution of sessile assemblages over scales of hundreds of metres. Recruitment is another process structuring subtidal assemblages (e.g. Keough 1983, Gaines & Bertness 1992), but there is little information relating spatial patterns of assemblages to recruitment over such scales (Smith & Witman 1999).

Even less research has been conducted on the changes in the relative importance of recruitment along environmental gradients in the rocky subtidal, despite the wide recognition that such changes are a key component in models of community regulation (Witman & Grange 1998). The dispersion of larvae, spores and asexual propagules is strongly influenced by water currents and stratification (e.g. Witman & Dayton 2001). The speed of wave-induced and winddriven streams is dependent on depth, with a pattern of decreasing flow velocity with depth (Denny & Wethey 2001). Based on these observations, Witman & Dayton (2001) hypothesized that in temperate environments there is a greater connectivity between sites above than in sites below the thermocline, where populations and assemblages would be less linked by advective transport of larvae and/or propagules. Our results, however, do not support the hypothesis that connectivity among subtidal sessile assemblages decreases with depth, since variability among sites, regardless of the time of sampling, did not clearly increase along the depth gradient.

The largest component of variation occurred at the smallest spatial scale, i.e. among units of observation (centimetres to metres). Variability at the scale of replicates has often been considered a 'statistical nuisance', caused by random processes (Steele 1976). Conversely, multiple, often interacting, ecological processes have been repeatedly demonstrated to affect marine assemblages, also at small scales (Horne & Schneider 1995). In contrast to intertidal habitats, where small-scale spatial variability has been documented several times (Fraschetti et al. 2005b), patchiness has seldom been documented quantitatively in subtidal habitats (Kennelly & Underwood 1992). Such information is mostly limited to environmental impact studies (Chapman et al. 1995, Roberts 1996, Terlizzi et al. 2005), where differences in the magnitude of variation among replicate units in disturbed vs. control sites have been suggested as an indicator of environmental impact (Warwick & Clarke 1993).

Ecological processes potentially important in generating small-scale spatial variability include disturbance (Airoldi 2000, Connell 2005), topographic heterogeneity (Archambault & Bourget 1999), pre- and post-settlement biological interactions (Sebens 1986, Hunt & Scheibling 1997) and different patterns of growth depending on life-cycle features (individual vs. modular organisms) (Jackson 1977). Although these processes are pervasive in marine habitats, our results suggest that they may change in magnitude across gradients, since the degree of heterogeneity we observed differed considerably across depths.

Small-scale spatial variability (among replicate quadrats) increased with depth when multivariate ana-

lyses were based on presence/absence data, whilst the opposite was observed when abundance data were analysed without transformation. These patterns reflected changes in the scale of aggregation of organisms relative to the size of the sampling unit. Apparently, these relationships were driven by changes in body size of organisms and in number of taxa across depths. Because quadrats were more likely to be dominated by single large organisms in deep waters (e.g. sponges), presence/absence data captured more variability in deep than in shallow assemblages. At shallower depths, in contrast, assemblages were composed of a larger number of small organisms, so that the analyses based on untransformed data captured more variability in shallow than in deep habitats. These results are a clear demonstration of the influence that choices of transformation and sampling design have on our perception of natural patterns of variability in assemblages.

The complexity of spatial patterns and the occurrence of space × time interactions lead inevitably to greater complexity in the methods needed to deal with variable assemblages. The multivariate methods used here offer several advantages over previously used techniques. First, they require no greater replication of individual observation units than their univariate counterparts in order to achieve a partitioning and independent measure of multivariate variation in the hierarchical design. This contrasts with the method proposed by Underwood & Chapman (1998), who use separate replication to estimate centroids at each level in the design. Second, the methodology suggested here simply follows the well-known univariate estimation of variance components in an exactly analogous fashion, so it is readily interpretable. Moreover, the measures obtained can be interpreted in terms of the original dissimilarity measure. For those measures which are appropriately scaled (such as the Bray-Curtis measure), this means results can be compared both within and across studies.

Bootstrapping of multivariate data to obtain confidence intervals for distance-based criteria has been used in the context of developing multivariate control charts (Anderson & Thompson 2004). The calculation of distance-based pseudo multivariate variance components has been used by others (Benedetti-Cecchi 2001, Anderson & Millar 2004, Fraschetti et al. 2005b), although no confidence intervals for such measures have previously been obtained. This is the first time, to our knowledge, that bootstrapping has been used to provide confidence intervals on distance-based pseudo multivariate variance components. This provides a strategy for analysing variability in ecological systems, which is at once flexible (because any distance or dissimilarity measure of choice may be used) and robust

(because there are no specific assumptions regarding the distribution of the original observation units due to the use of bootstrapping).

Some care is required, however, in the interpretation of results using this approach. First, our results and conclusions are limited to the spatial scales investigated, and different patterns might have emerged by sampling at different spatial resolutions and extents (Andrew & Mapstone 1987). We made choices in the size of the sampling unit and spatial scales investigated to make our results comparable to those of similar studies conducted in other temperate regions (e.g. Chapman et al. 1995, Roberts 1996). Second, the bootstrapping methodology is not generally unbiased and, as such, some bias-correction is desirable (as was employed here). Third, the results will be heavily dependent on the choice of distance measure and transformation used. This may be an advantage, because it does allow for different aspects of assemblage structure to be captured through the use of different transformations (e.g. Clarke & Green 1988), and as was also done in the present study. However, this flexibility comes with the responsibility that an appropriate choice be made and correctly interpreted for a given situation. Finally, these 'pseudo' multivariate variance components are not to be thought of as 'true' multivariate variance in the traditional sense. It should be recalled that multivariate variance includes covariance structure among each pair of original variables (e.g. Mardia et al. 1979). Covariance structure, however, is ignored by the distance-based approach. If Euclidean distance is used with one variable, the distance-based procedure will yield the traditional ANOVA variance components. With Euclidean distance and several variables, the distance-based procedure will give the sum of the variances of the original variables. By using some other dissimilarity measure instead, resulting values are not 'variances', but rather are essentially average squared dissimilarities. These measures do, nevertheless, usefully describe the multivariate variation in terms of the chosen dissimilarity measure. Altogether, the univariate and multivariate procedures adopted in the present paper offer a unified framework to describe natural variability in complex habitats like subtidal rocky reefs.

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